

APRIL 2023

57704/CS31A/MC41B

Time : Three hours

Maximum : 75 marks

PART A — (10 × 1 = 10 marks)

Answer any TEN questions.

1. Construct the truth table for $P \wedge (P \vee Q)$.
2. Express the statement “Every student in this class has studied calculus” as a universal qualification.
3. Draw a block diagram of a finite automation.
4. Define non - deterministic finite automation.
5. Construct a context free grammar for the given expression $(a + b)(a + b + 0 + 1)^*$.
6. What do you meant by context — free grammar?
7. Write formal definition of PDA.
8. How do your convert CFG to a PDA?
9. Draw the Turing machine model.
10. What is multiple track Turing machine?

11. Write Universal Turing Machine.
12. Write what is chomsky hierarchy.

PART B — (5 × 5 = 25 marks)

Answer any FIVE questions.

13. Obtain the PCNF of
 $(P \wedge Q \wedge R) \vee (\neg P \wedge Q \wedge R) \vee (\neg P \wedge \neg Q \wedge \neg R)$.
14. Construct a NFA equivalent to regular expression $(0+1)^*(00+11)$.
15. Construct an finite automata accepting all strings in $\{0,1\}^*$ having even number of 0's.
16. Show that $E \rightarrow E + E \mid E * E \mid (E) \mid id$ is ambiguous.
17. Construct a PDA that accepts the language generated by the grammar $S \rightarrow aABB$,
 $A \rightarrow aB \mid a, B \rightarrow bA \mid b$.
18. Construct a Turing machine that performs addition operation.
19. If L has a regular grammar, then prove that L is a regular set.

PART C — (4 × 10 = 40 marks)

Answer any FOUR questions.

20. Show that the following argument is valid “My father praises me only if I can be proud of myself. Either I do well in sports or I can not be proud of myself. If study hard, then I can not do well in sports. Therefore, if father praises me, then I do not study well.
21. State and prove equivalence of DFA and N DFA.
22. Find a Greibach normal form grammar equivalent to the following CFG $S \rightarrow AA|0, A \rightarrow SS|1$.
23. State and prove pumping lemma.
24. Construct PDA accepting $\{a^n b^m a^n / m, n \geq 1\}$ by empty stack.
25. If L is an r.e. language, then prove that $L = L(G)$ for some unrestricted grammar G.
